Lesson 3: Changing Motion	Ρ	eriod
 3.1 Exercise: Position, Velocity, and Acceleration Graphs of Constant Velocity Review your graphs of constant velocity from Lesson 2.1. (a) What feature of a position vs time graph shows constant velocity motion? 	ACCELERATION	DOLANUARD - URY TOMICH BLOCO III HEAD - VERY BAD - 26 LINIT
(b) What feature of a velocity vs time graph shows constant velocity motion?	FORWARD • NOT SO BAD • BOALLS UNHAMPY • 205(2) LUMIT	BACKLING HITRO TO BREATHE • HITRO TO BREATHE • EVERSALLS HILLOUT • SIG LIMIT • NO BLACO IN HEAD • BAD • SIG LIMIT

Name

(c) Acceleration is defined as the <u>rate of change of velocity with time</u>. On the graph below, **sketch your** prediction of the acceleration you experienced when making the constant velocity graph described above.

PREDICTION: ACTUAL:		
acceleration		
		time

(d) Use the motion detector to create a graph of constant velocity as before. Once you have a reasonably horizontal line on your velocity graph, tap **Velocity** on the screen and select **Acceleration** to create an acceleration graph.

Sketch the resulting acceleration graph with a solid line on the graph above.

<u>Finding Accelerations</u>: To find the acceleration from two velocities, you must first find the vector representing the change in velocity by subtracting the velocities, final minus initial. Then divide this by the time interval over which the velocity change occurs. The average acceleration is given by:

$$\vec{a}_{average} = \vec{\overline{a}} = \frac{\vec{\Delta v}}{\Delta t} = \frac{\vec{v}_2 - \vec{v}_1}{t_2 - t_1}$$

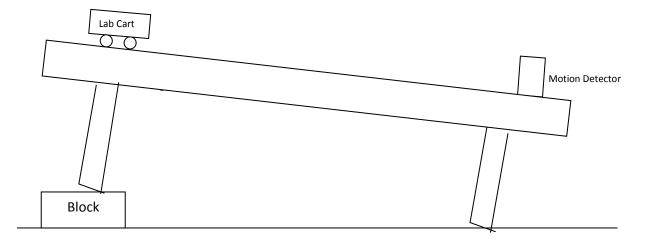
3.2 Exercise: Representing Acceleration

(a) Does the acceleration vs time graph you observed agree with the method of calculating acceleration described above? Explain.

(b) Does it agree with your prediction?

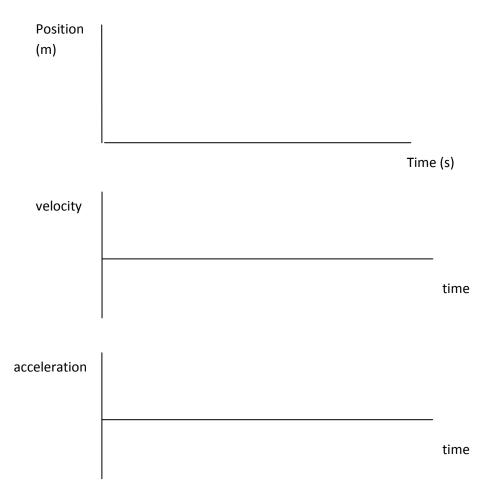
3.3 Experiment: Graphs Depicting Speeding Up

(a) <u>Carefully</u> lift the end of your lab table a small amount and place the spacers under the table's legs to keep them elevated. This should <u>slightly tilt your table</u>. Now you will be able to observe the motion of a cart when its velocity is changing.



(b) Place the motion detector near the lower end of the table and your cart at the top of the inclined table. Release your cart from rest and record its motion as it approaches the motion detector. **Be sure to have someone ready at the other end of the table to stop the cart before it hits the motion detector or falls!** This may take a few trials before generating a clear graph, so you may wish to practice a few times before keeping the data.

(c) Now draw (1) position, (2) velocity, and (3) acceleration graphs by tapping **Position** on the y-axis and selecting **Velocity**, then **Acceleration**. Sketch your results below.



(d) How does your position graph differ from the position graphs for steady motion (constant velocity)?

(e) What feature of your velocity graph signifies that the cart was speeding up?

(f) How would a graph of motion with a constant velocity differ from this one where it speeds up?

(g) Is the acceleration on your graph positive or negative?

(h) How does speeding up while moving away from the origin result in this sign of acceleration? (Hint: Remember that acceleration is the <u>rate of change</u> of velocity. Look at how the velocity is changing.)

(i) How does the velocity vary in time as the cart speeds up? Does it increase at a steady rate or in some other way?

(j) How does the acceleration vary in time as the cart speeds up?

(k) Is this what you expect based on the velocity graph? Explain.

3.4 Exercise: Calculating Accelerations

(a) Find the average value of the acceleration from the acceleration graph by clicking on the Table symbol at the top of the screen and locating the acceleration column. Choose at least 5 representative accelerations (during the constant acceleration part) and add your accelerations together then divide by the number of accelerations you have.

a 1 _____m/s/s a 2 _____m/s/s a 3 _____m/s/s a 4 _____m/s/s a 5 _____m/s/s

Show your calculation:

$$a_{avg} = \frac{\sum a}{n} =$$

Average (mean) value of the acceleration: _____ m/s/s

Average acceleration can also be calculated as the change in velocity divided by the change in time, $\langle a \rangle = \Delta v / \Delta t$ (by definition, the <u>slope</u>) which is a quantitative measure of the steepness of the velocity graph.

$$a_{avg} = \langle a \rangle = \frac{\Delta v}{\Delta t} = \frac{(v_2 - v_1)}{(t_2 - t_1)}$$

(b) Use the method described just above to calculate your average acceleration from the slope of the velocity vs time graph. Use two points far apart on the velocity line. (You can find them from the Analyze menu, check the box for Velocity) Show your calculation below:

Point 1:
$$v_1 = _____m/s$$
; $t_1 = _____s$
 $< a > = \frac{\Delta v}{\Delta t} = \frac{(v_2 - v_1)}{(t_2 - t_1)} =$

(c) Is the average acceleration positive or negative? Is this what you expected?

(d) Does the average acceleration you just calculated from the velocity graph agree with the average acceleration you estimated from the acceleration graph in part (a)? (Are the acceleration values about the same or not?)

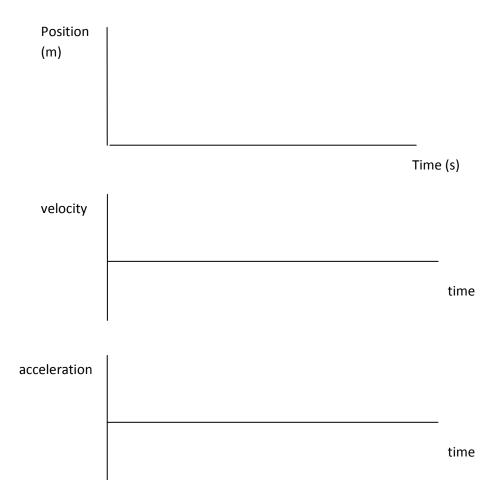
(e) Do you expect them to agree? How would you account for any differences?

3.5 Experiment: Moving Away Slowing Down, Turning Around, then Moving Toward Speeding Up

(a) This time, give your cart a gentle push – just enough to get it to slow down and roll back near the other side of the table. Station a team member at the other end of the table to stop the cart from coming off the table. Take care not to push it all the way off the table!

(b) Once you've gotten used to your push procedure, watch the motion carefully, **recording the motion using the motion detector as before.**

(c) Sketch the resulting position, velocity, and acceleration graphs below:



(d) How does your velocity graph show that the cart was moving toward the origin when it was moving that way?

(e) Write the word "top" at the point on the velocity graph where the cart reaches the top of its motion.

(f) What is the approximate velocity of the cart at this position?

V_{top}≈______m/s

(g) Write the word "top" on the acceleration graph at the same time the word "top" appears on your velocity graph. What is the approximate acceleration at this point?

a_{top}≈_____m/s/s

(h) Did either the value <u>or</u> the sign of the acceleration change at the top of the track where the cart stopped for an instant?

(i) How is the sign of the acceleration represented on a velocity graph? (What on a velocity graph tells you when it's +a or -a?)

(j) How did the value or sign of the acceleration change as it moved through this motion?

3.6 Exercise:

Based on your observations in this lesson, use the prompt below to formulate a general rule to predict the sign of the acceleration if you know the sign of the velocity (i.e. the direction of motion) and whether the object is speeding up or slowing down. **Circle each correct choice**:

Rule: If the velocity is <u>positive</u> (moving away) and the object is <u>speeding up</u>, then the acceleration is <u>(1)positive /</u> <u>(2)negative</u> and points <u>(1) away from the origin / (2) toward the origin</u>.

If the velocity is <u>positive</u> (moving away) and the object is <u>slowing down</u>, then the acceleration is <u>(1)positive /</u> (2)negative and points (1) away from the origin / (2) toward the origin.

If the velocity is <u>negative</u> (moving toward the origin) and the object is <u>speeding up</u>, then the acceleration is (1)positive / (2)negative and points (1) away from the origin / (2) toward the origin.

If the velocity is <u>negative</u> (moving toward the origin) and the object is <u>slowing down</u>, then the acceleration is **(1)positive / (2)negative** and points **(1) away from the origin / (2) toward the origin**.

3.7 Exercise: The Rise and Fall of a Ball

Suppose you throw a ball up into the air. It moves upward, reaches its highest point and then moves back down toward your hand. What can you say about the directions of its velocity and acceleration at various points?

(a) Consider the ball toss carefully. Assume that <u>upward</u> is the positive direction. Indicate in the table that follows whether the velocity is <u>positive</u>, zero, or negative during each of the three parts of the motion. Also indicate whether the acceleration is positive, zero, or negative. Hint: Remember that to find the acceleration, you must look at the <u>change in</u> velocity.

In each box, choose: + or – ? or zero?

	Moving Up	At Highest Point	Moving Down
Velocity			
Acceleration			

(b) In what ways is the motion of the ball similar to the motion of the cart studied in this lesson?